## Voting Procedures

## Majority Rule

- Requires MORE than $50 \%$ of the votes in one category
- If no category has the required number of votes - no winner


## Example \#1

Students at HRHS voted on their favorite sports team. The following tables shows the results:

| Number of Votes | 100 | 175 | 73 | 84 |
| :---: | :---: | :---: | :---: | :---: |
| Sports Team | Hockey | Volleyball | Basketball | Soccer |

Total number of votes $=100+175+73+84=432$
$50 \%$ of votes $=0.5 \times 432=216$
No category has more than the required 216 - therefore no winner is declared.

## Example \#2

One hundred people were polled about their favorite type of running shoes. The table below shows the results

| Number of Votes | 26 | 57 | 17 |
| :---: | :---: | :---: | :---: |
| Shoe Brand | Nike | Asics | Saucony |

Total number of votes $=100$
$50 \%$ of votes $=50$
Asics has more than the required 50 - therefore they are declared the winner.

## Plurality Voting

- Winner is declared based on the most votes in a category.
- If a tie occurs - no winner is declared


## Example \#1

Students at HRHS were asked to vote on a potential new mascot. The table below shows the results:

| Number of Votes | 257 | 198 | 120 | 10 | 501 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Mascot | Hawks | Hogs | Hippos | Horses | Keep Same |

Based on the MOST votes - HRHS will be keeping the same mascot

## Example \#2

Students are HRHS were asked to vote on their favorite class. The following table shows the results from the poll:

| Number of Votes | 100 | 175 | 110 | 84 | 1 | 2 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Class | Math | Science | Phys Ed | Art | Ethics | English |

Based on the MOST votes - Science was voted the favorite class amongst students

## Borda Count

- Winner is declared based on point system for ranking preferences
- Points allotted for preferences is determined by you


## Example \#1

Students at HRHS were polled to determine the newest sports team to be introduced in the fall. The table below shows the results:

| Number of Votes | 18 | 27 | 9 | 31 |
| :---: | :---: | :---: | :---: | :---: |
| $1^{\text {st }}$ Choice | Bowling | Handball | Bowling | Ping Pong |
| $2^{\text {nd }}$ Choice | Ping Pong | Ping Pong | Handball | Bowling |
| $3^{\text {rd }}$ Choice | Handball | Bowling | Ping Pong | Handball |

3 points for $1^{\text {st }}$ place
2 points for $2^{\text {nd }}$ place
1 point for $3^{\text {rd }}$ place

Bowling:
$18(3)+27(1)+9(3)+31(2)=170$

Ping Pong:
$18(2)+27(2)+9(1)+31(3)=192$ points
Handball:
$18(1)+27(3)+9(2)+31(1)=148$

The winner would be ping pong based on the total number of points.

## Example \#2

Students are HRHS were polled to determine their preference for the next school trip. The table below shows the results

| Number of Votes | 54 | 73 | 36 | 40 |
| :---: | :---: | :---: | :---: | :---: |
| $1^{\text {st }}$ Choice | Australia | Brazil | Russia | Scotland |
| $2^{\text {nd }}$ Choice | Scotland | Australia | Brazil | Russia |
| $3^{\text {rd }}$ Choice | Russia | Scotland | Australia | Brazil |
| $4^{\text {th }}$ Choice | Brazil | Russia | Scotland | Australia |

4 Points for $1^{\text {st }}$ place
3 Points for $2^{\text {nd }}$ Place
2 Points for $3^{\text {rd }}$ Place
1 Point for $4^{\text {th }}$ Place
Australia:
$54(4)+73(3)+36(2)+40(1)=547$

Scotland:
$54(3)+73(2)+36(1)+40(4)=504$

Russia:
$54(2)+73(1)+36(4)+40(3)=445$

Brazil:
$54(1)+73(4)+36(3)+40(2)=534$

Australia would be declared the winner based on the most votes.

## Condorcet Method

- Uses a preference system to rank categories
- "One vs One Matchups" used to declare winner
- All categories must be matched up against every other category


## Example \#1

Students at HRHS were polled about their favorite cologne. The table below shows the results:

| Number of Votes | 12 | 36 | 15 | 22 |
| :---: | :---: | :---: | :---: | :---: |
| $1^{\text {st }}$ Choice | Polo | Armani | JP Gauthier | Polo |
| $2^{\text {nd }}$ Choice | Armani | Polo | Armani | JP Gauthier |
| $3^{\text {rd }}$ Choice | JP Gauthier | JP Gauthier | Polo | Armani |

Determine who is ranked HIGHER and that category gets the votes.

| Polo vs Armani |  | Polo vs JP Gauthier |  | Armani vs JP Gauthier |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 12 | 36 | 12 | 15 | 12 | 15 |
| 22 | 15 | 36 |  | 36 | 22 |
| 34 | 51 | 22 |  |  |  |

Polo $=1$ Win
Armani $=2$ Wins
JP Gauthier $=0$ Wins

Armani is the winner based on more 1 on 1 matchup wins.

## Example \#2

Students were polled about their favorite fast food restaurants. The table below shows the results:

| Number of Votes | 12 | 36 | 15 | 22 |
| :---: | :---: | :---: | :---: | :---: |
| $1^{\text {st }}$ Choice | Wendys | Tim Hortons | Subway | Kojax |
| $2^{\text {nd }}$ Choice | Kojax | Wendys | Tim Hortons | Subway |
| $3^{\text {rd }}$ Choice | Subway | Kojax | Wendys | Tim Hortons |
| $4^{\text {th }}$ Choice | Tim Hortons | Subway | Kojax | Wendys |

Determine who is ranked HIGHER and that category gets the votes.


## Elimination Method

- Preferences used to rank choice
- Only $1^{\text {st }}$ place votes counted
- Eliminate lowest number of $1^{\text {st }}$ place votes - eliminated votes go to next candidate in that particular category
- Elimination process continues until 1 candidate remains


## Example \#1

| Votes | 45 | 32 | 28 | 23 |
| :---: | :---: | :---: | :---: | :---: |
| $1^{\text {st }}$ Choice | B | C | A | A |
| $2^{\text {nd }}$ Choice | C | B | C | B |
| $3^{\text {rd }}$ Choice | A | A | B | C |

Round 1
A has $28+23=511^{\text {st }}$ place votes
$B$ has $451^{\text {st }}$ place votes
C has 32 first place votes

C is eliminated and their votes go to the candidate under them in their column $\rightarrow$ which is B

Round 2
A has $511^{\text {st }}$ place votes
$B$ has $45+32=771^{\text {st }}$ place votes
$A$ is eliminated $\rightarrow B$ wins

## Example \#2

Students were asked to rank their choices for the next Winter Carnival activities.
The table below shows the results.

| Votes | 45 | 32 | 28 | 23 |
| :---: | :---: | :---: | :---: | :---: |
| $1^{\text {st }}$ Choice | Laser Quest | Rock Climbing | Jail Break | Go-Karting |
| $2^{\text {nd }}$ Choice | Jail Break | Laser Quest | Rock Climbing | Jail Break |
| $3^{\text {rd }}$ Choice | Rock Climbing | Jail Break | Laser Quest | Rock Climbing |
| $4^{\text {th }}$ Choice | Go-Karting | Go-Karting | Go-Karting | Laser Quest |

Round 1
Laser Quest has $451^{\text {st }}$ Place Votes
Rock Climbing has $321^{\text {st }}$ Place Votes
Jail Break has $281^{\text {st }}$ Place Votes
Go-Karting has $231^{\text {st }}$ Place Votes
Go-Karting is eliminated \& their votes go to the next in their column $\rightarrow$ Jail Break

## Round 2

Laser Quest has $451^{\text {st }}$ Place Votes
Rock Climbing has $321^{\text {st }}$ Place Votes
Jail Break has $28+23=511^{\text {st }}$ Place Votes
Rock Climbing is eliminated \& their votes go to the next in their column $\rightarrow$ Laser Quest

Round 3
Laser Quest has $45+32=771^{\text {st }}$ Place Votes
Jail Break has $511^{\text {st }}$ Place Votes

Jail Break is eliminated \& Laser Quest WINS ©

## Approval Voting

- You can vote for as many choices as you wish
- Candidate with most votes, wins


## Example \#1

| Number of Votes | 45 | 32 | 28 | 23 |
| :--- | :--- | :--- | :--- | :--- |
|  | A | B | A | A |
|  | D | C | B |  |
|  |  | D | C |  |

A has $45+28+23=96$ votes
$B$ has $32+28=60$ votes
C has $32+28=60$ votes
D has $45+32=77$ votes
A is the winner because it has the most votes.

## Example \#2

| Number of Votes | 14 | 6 | 13 | 5 |
| :--- | :--- | :--- | :--- | :--- |
|  | A | B | D | C |
|  | D | C | B | D |
|  |  | D | C |  |

A has 14 votes
$B$ has $6+13=19$ votes
C has $6+13+5=\mathbf{2 4}$ votes
D has $14+6+13+5=\mathbf{3 8}$ votes
$D$ is the winner because it has the most votes

## Proportional Representation

Parties are given a \# of seats depending on the \% of votes
$\underline{\# \text { of votes }} \times$ available seats
total votes
Example in a voting region, there are 8 seats to be filled

| Party | A | B | C | Total |
| :--- | :--- | :--- | :--- | :--- |
| \# of Votes | 10000 | 25000 | 12500 | 47500 |

Calculate the \% of seats
Party A:
$\frac{10000}{47500}=0.21 \quad 0.21 \times 8=1.68$

Party B:
$\frac{25000}{47500}=0.53 \quad 0.53 \times 8=4.24$

47500
Party C:
$\frac{12500}{47500}=0.26 \quad 0.26 \times 8=2.08$

Party A is give 1 whole seat, Party B is given 4 whole seats and Party C is given 2 whole seats.

There is still one more seat to be given, therefore you look at the highest decimal left which would be 0.68 from Party A - who will be given the additional seat.

